## Second Year Assignment Test 6 Version O

1. The first three terms in the binomial expansion of  $\frac{1}{\sqrt{a+bx}}$  are  $3 + \frac{1}{3}x + \frac{1}{18}x^2 + ...$ a) Find the values of the constants *a* and *b* 

b) Find the coefficient of the  $x^3$  term in the expansion.

2. The random variable  $X \sim B(200, 0.53)$ . Use a suitable approximation to estimate a) P(X < 90) b)  $P(100 \le X < 110)$  c) P(X = 105)

3. A boat A has a position vector of (2i + j) km and a buoy B has a position vector of (6i - 4j) km, relative to a fixed origin O.

a) Find the distance of the boat from the buoy.

b) Find the bearing of the boat from the buoy.

The boat travels with constant velocity (8i - 10j) km/h. c) Verify that the boat is travelling directly towards the buoy.

d) Find the speed of the boat.

### Second Year Assignment Test 6 Version P

1. The first three terms in the binomial expansion of  $\frac{1}{\sqrt{a+bx}}$  are  $4 + \frac{1}{4}x + \frac{3}{128}x^2 + ...$ a) Find the values of the constants *a* and *b* 

b) Find the coefficient of the  $x^3$  term in the expansion.

2. The random variable  $X \sim B(200,0.52)$ . Use a suitable approximation to estimate a) P(X < 90) b)  $P(100 \le X < 110)$  c) P(X = 105)

3. A boat A has a position vector of (2i + j) km and a buoy B has a position vector of (10i - 9j) km, relative to a fixed origin O.

a) Find the distance of the boat from the buoy.

b) Find the bearing of the boat from the buoy.

The boat travels with constant velocity (4i - 5j) km/h. c) Verify that the boat is travelling directly towards the buoy.

d) Find the speed of the boat.

## Second Year Assignment Test 6 Version Q

1. The first three terms in the binomial expansion of  $\frac{1}{\sqrt{a+bx}}$  are  $2 + \frac{1}{2}x + \frac{3}{16}x^2 + ...$ a) Find the values of the constants *a* and *b* 

b) Find the coefficient of the  $x^3$  term in the expansion.

2. The random variable  $X \sim B(200, 0.51)$ . Use a suitable approximation to estimate a) P(X < 90) b)  $P(100 \le X < 110)$  c) P(X = 105)

3. A boat A has a position vector of (2i + j) km and a buoy B has a position vector of (4i - 1.5j) km, relative to a fixed origin O. a) Find the distance of the boat from the buoy.

b) Find the bearing of the boat from the buoy.

The boat travels with constant velocity (2i - 2.5j) km/h. c) Verify that the boat is travelling directly towards the buoy.

d) Find the speed of the boat.

### Second Year Assignment Test 6 Version R

1. The first three terms in the binomial expansion of  $\frac{1}{\sqrt{a+bx}}$  are  $3 + \frac{1}{6}x + \frac{1}{72}x^2 + ...$ a) Find the values of the constants *a* and *b* 

b) Find the coefficient of the  $x^3$  term in the expansion.

2. The random variable  $X \sim B(200,0.5)$ . Use a suitable approximation to estimate a) P(X < 90) b)  $P(100 \le X < 110)$  c) P(X = 105)

3. A boat A has a position vector of (2i + j) km and a buoy B has a position vector of (42i -49j) km, relative to a fixed origin O.
a) Find the distance of the boat from the buoy.

b) Find the bearing of the boat from the buoy.

The boat travels with constant velocity (8i - 10j) km/h. c) Verify that the boat is travelling directly towards the buoy.

d) Find the speed of the boat.

#### **Answers Version O**

1. a)  $a = \frac{1}{9}, b = -\frac{2}{81}$  b)  $\frac{5}{486}$ 2. a) 0.0097 b) 0.5115 c) 0.0559 3. a)  $\sqrt{41}=6.403$  km b) 321.3° d)  $2\sqrt{41}$  km h<sup>-1</sup> e) 30 mins

#### **Answers Version P**

1. a)  $a = \frac{1}{16}$ ,  $b = -\frac{1}{128}$  b)  $\frac{5}{2048}$ 2. a) 0.0201 b) 0.5198 c) 0.0559 3. a)  $2\sqrt{41}=12.806$  km b)  $321.3^{\circ}$  d)  $\sqrt{41}$  km h<sup>-1</sup> e) 2 hours

# **Answers Version Q**

1. a) $a = \frac{1}{4}, b = -\frac{1}{8}$	b) $\frac{5}{64}$		
2. a) 0.0385	b) 0.4938	c)0.0515	
3. a) $\frac{1}{2}\sqrt{41}$ km	b) 321.3°	d) $\frac{1}{2}\sqrt{41}$ km h <sup>-1</sup>	e) 1 hour

#### **Answers Version R**

1. a) $a = \frac{1}{9}, b = -\frac{1}{81}$	b) $\frac{5}{3888}$		
2. a) 0.0688	b) 0.4386	c)0.0439	
3. a) $10\sqrt{41}$ km	b) 321.3°	d) $2\sqrt{41}  \text{km}  \text{h}^{-1}$	e) 5 hours